Fix for proof of Erdős-Nagy Theorem: [Blaise Gassend]

- let P^k = polygon after k flips
  C^k = convex hull of P^k
- proved $P^0, P^1, P^2, \ldots$ converges to unique limit P^*
- $C^0 \subseteq C^1 \subseteq C^2 \subseteq \ldots$ so converges to C^* = convex hull of P^*.
- convexity-tolerance argument gives us:
  for any strictly convex vertex i of C^*,
  p_i^k must reach its limit p_i^* after finitely many flips.

$\Rightarrow$ at some time k, such $p_i^k = p_i^* = c_i^*$

- $C^k \subseteq C^*$ so $C^k = C^*$
- $(k+1)$st flip grows C^{k+1} outside $C^k = C^*$
  yet $C^{k+1} \subseteq C^*$ ⨉

$\Rightarrow$ no more flips

- no longer have to argue simplicity
- no longer have to argue about straight vertices
- correct ☺ (pending write-up)