

**Hint for problem set 8:**

Try finding two paths  $P_1, P_2$  with the property that for every  $i \in C_1$  and  $j \in C_2$ , there exists a shortest  $i$ -to- $j$  path in  $G'$  that does not cross both  $P_1$  and  $P_2$ .