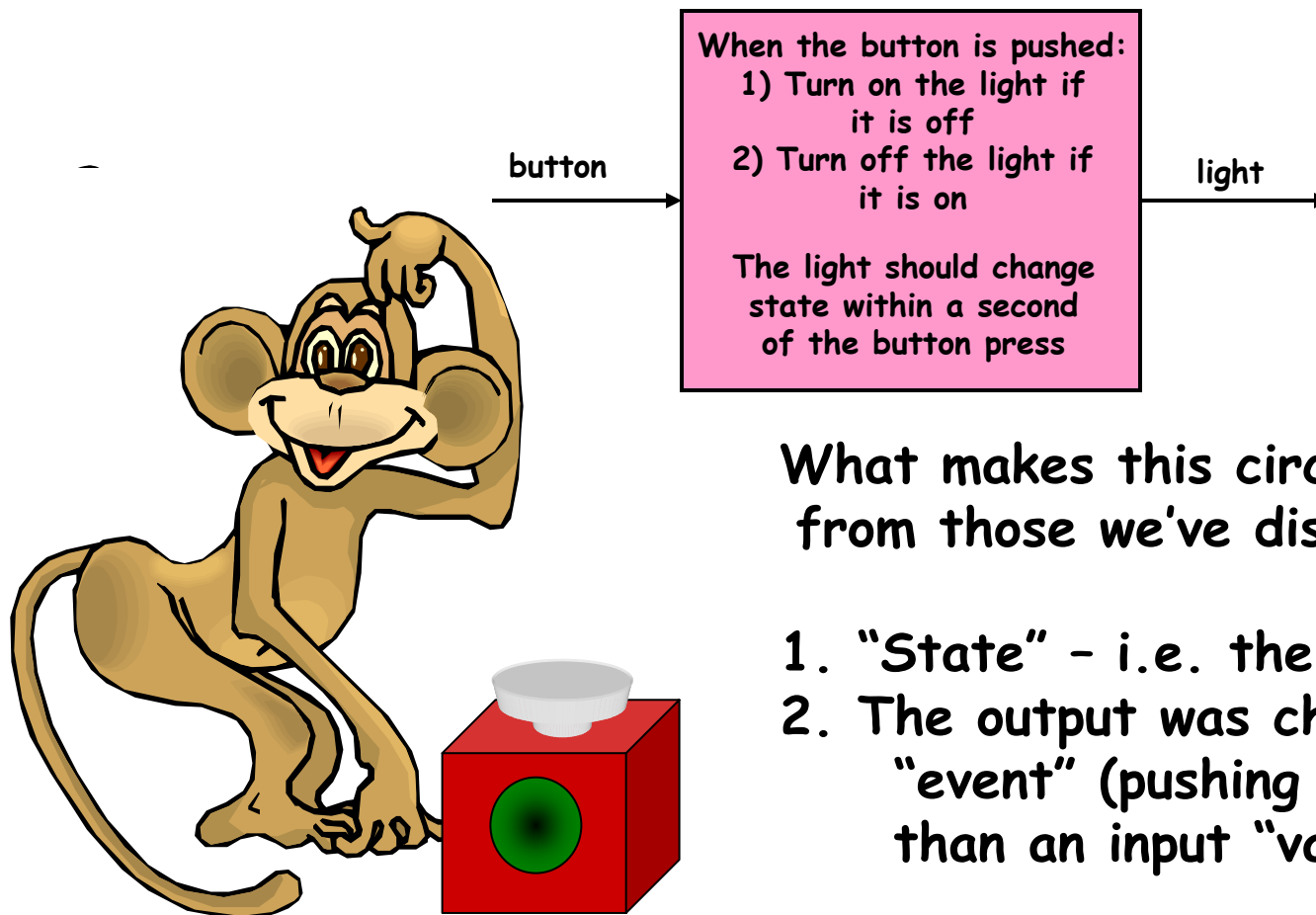


Something We Can't Build (Yet)

What if you were given the following design specification:

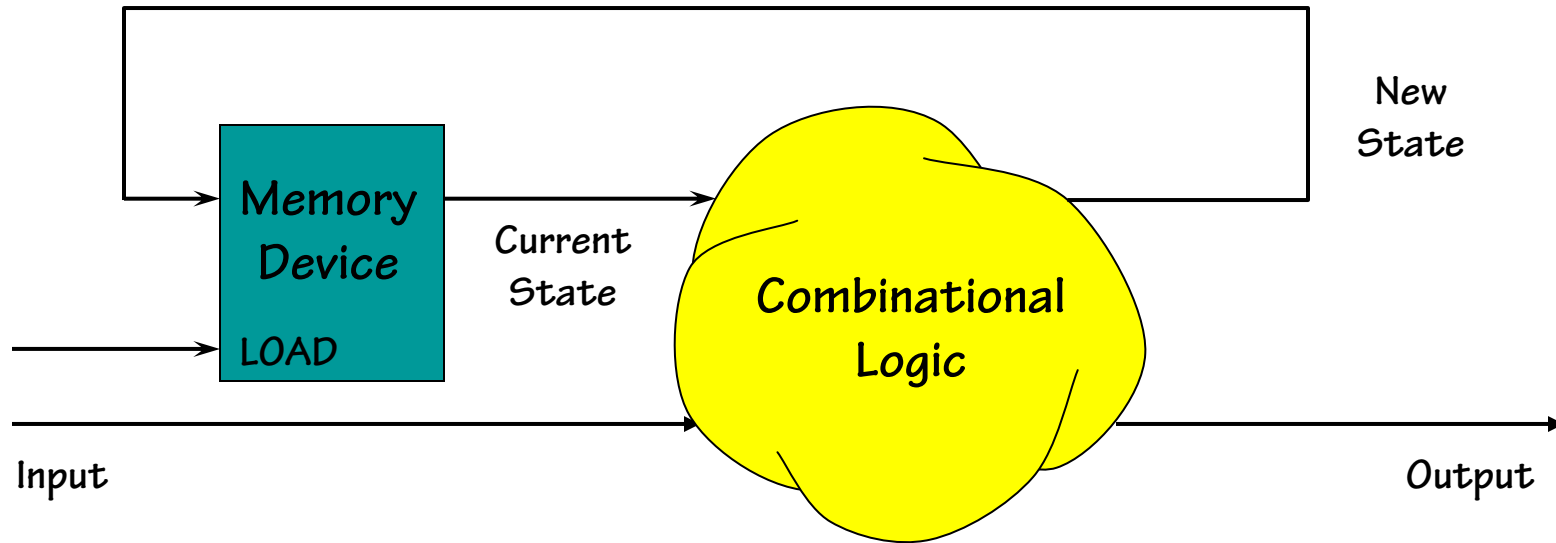


What makes this circuit so different from those we've discussed before?

1. "State" - i.e. the circuit has memory
2. The output was changed by an input "event" (pushing a button) rather than an input "value"

Digital State

One model of what we'd like to build

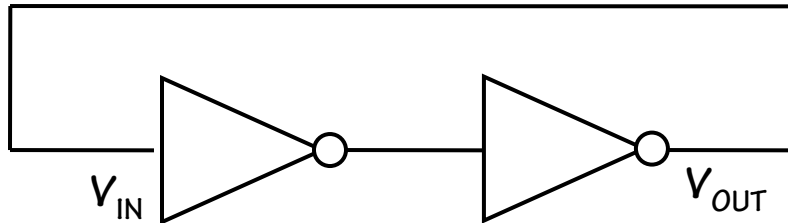


Plan: Build a Sequential Circuit with stored digital STATE –

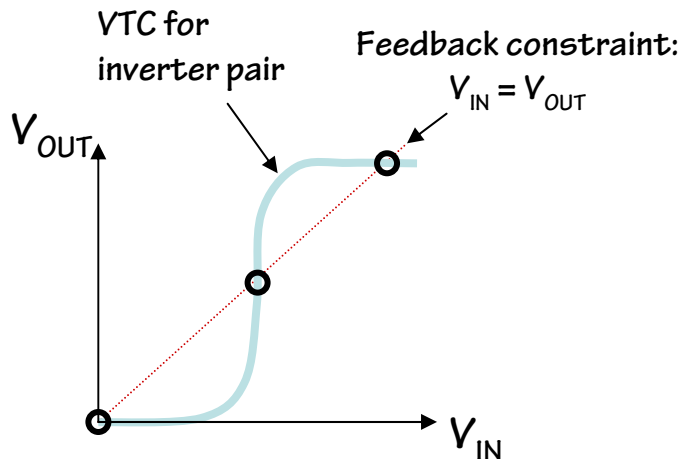
- Memory stores CURRENT state, produced at output
- Combinational Logic computes
 - NEXT state (from input, current state)
 - OUTPUT bit (from input, current state)
- State changes on LOAD control input

Storage: Using Feedback

IDEA: use **positive feedback** to maintain storage indefinitely.
Our logic gates are built to restore marginal signal levels, so noise shouldn't be a problem!



Result: a **bistable storage element**



Not affected
by noise

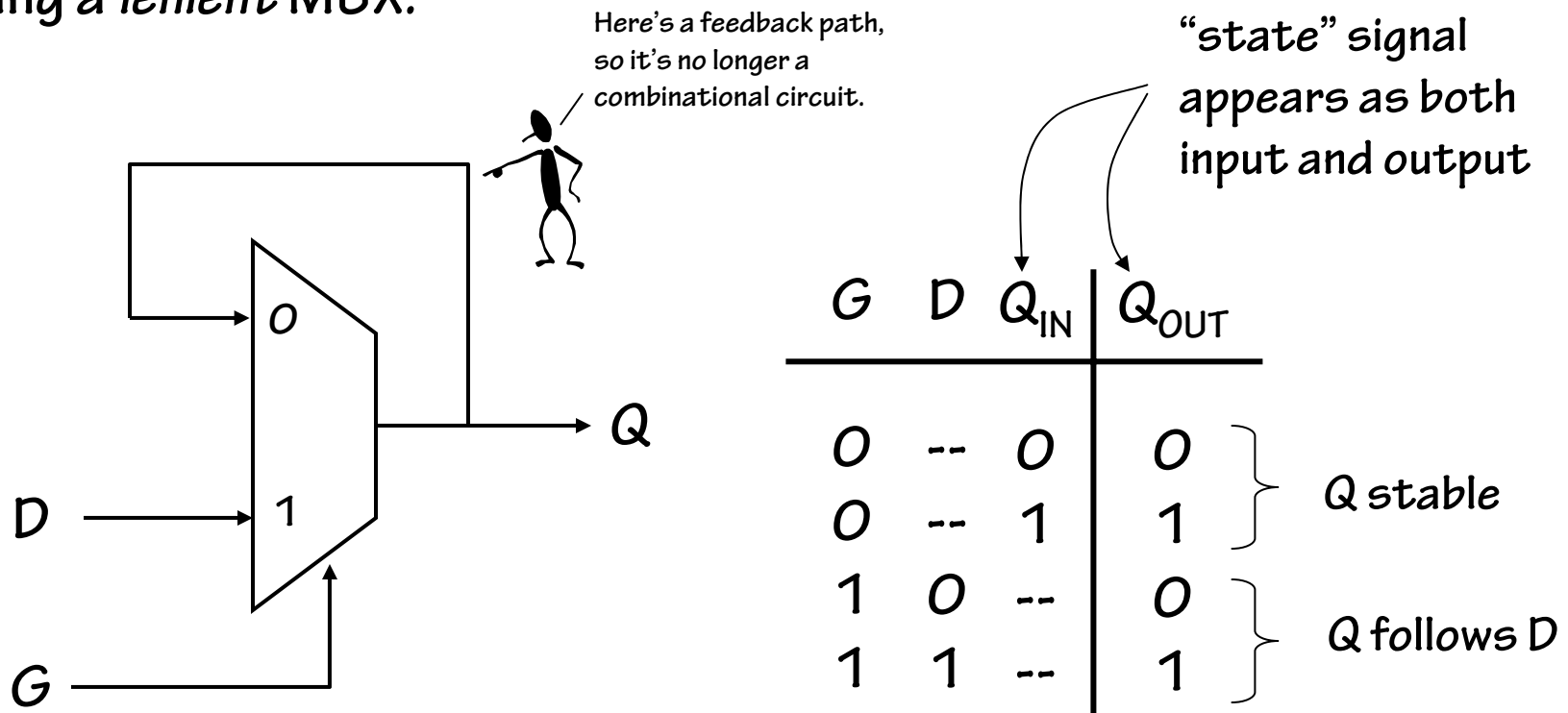
Three solutions:

- ◆ two end-points are **stable**
- ◆ middle point is unstable

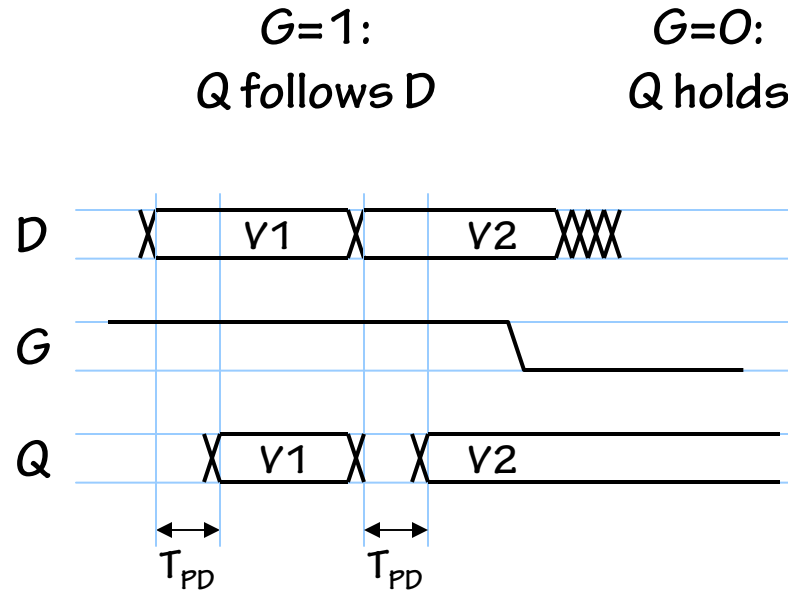
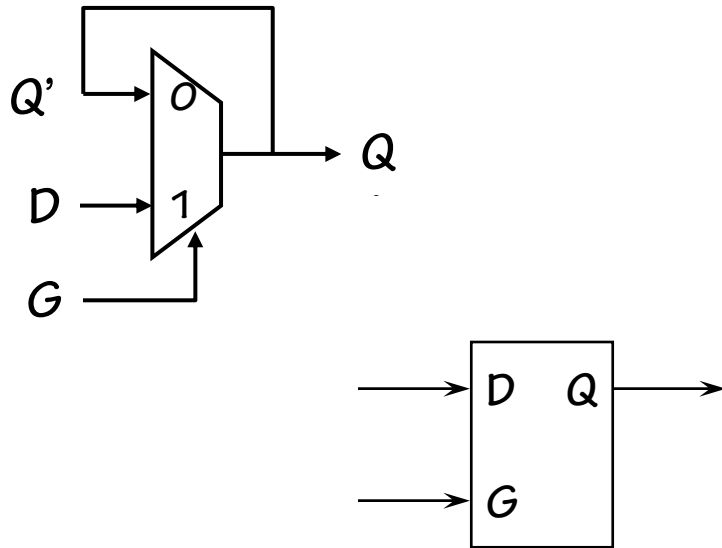
We'll get back to this!

Settable Storage Element

It's easy to build a settable storage element (called a **latch**) using a *lenient* MUX:



New Device: D Latch



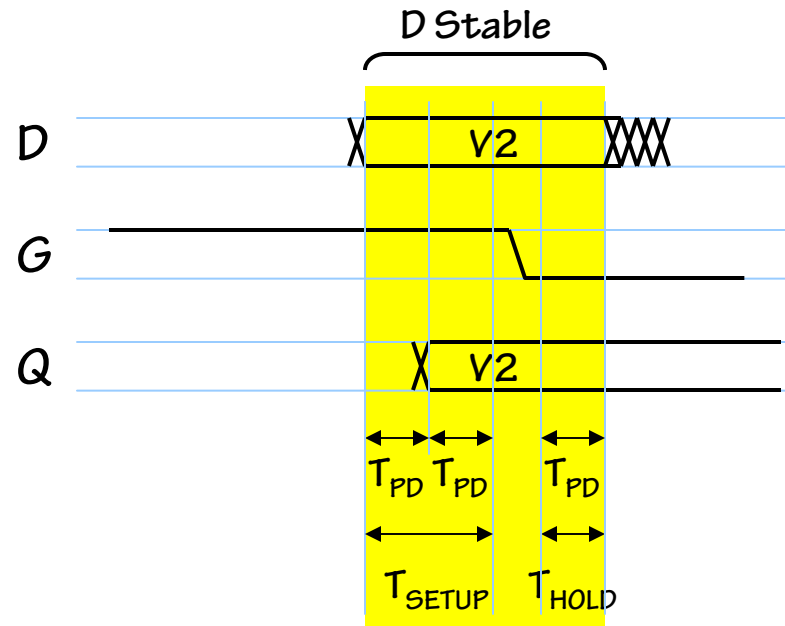
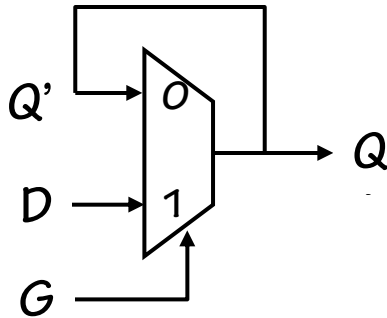
$G=1$: Q Follows D, independently of Q'

$G=0$: Q Holds stable Q' , independently of D

*BUT... A change in D or G
contaminates Q, hence Q'
... how can this possibly
work?*



D-Latch timing



To reliably latch V2:

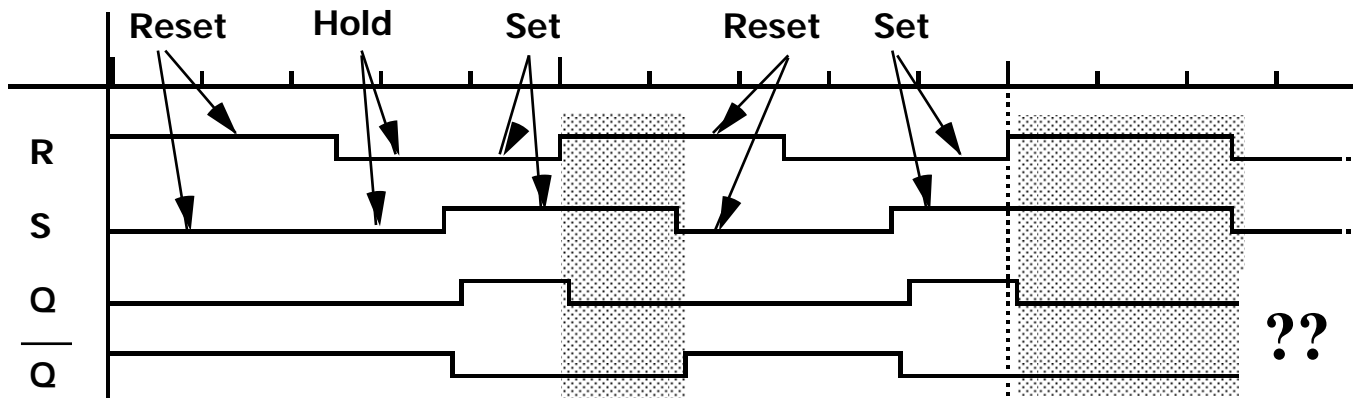
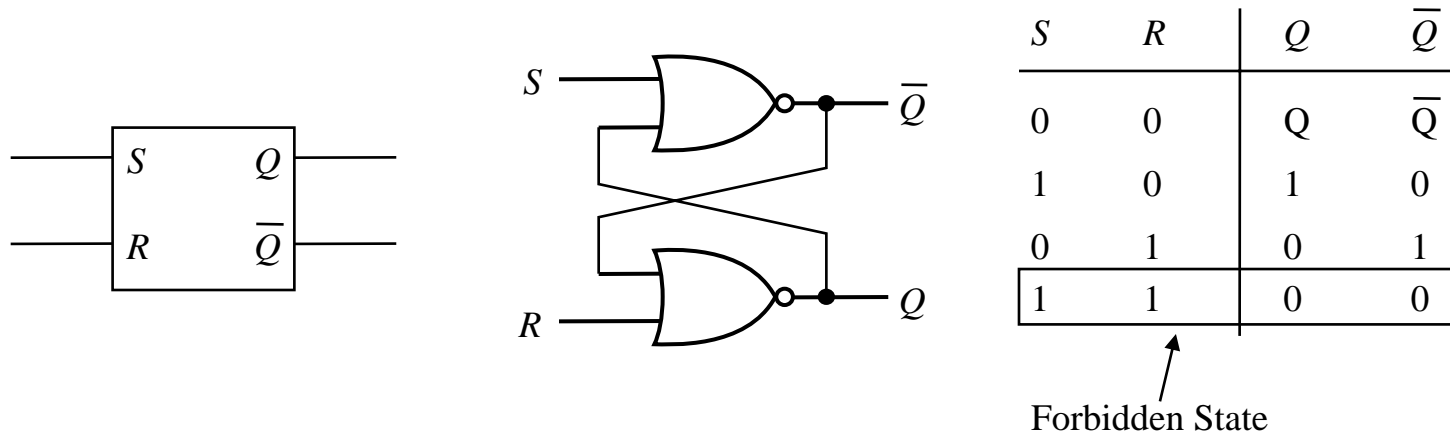
- Apply V2 to D, holding $G=1$
- After T_{PD} , V2 appears at $Q=Q'$
- After another T_{PD} , Q' & D both valid for T_{PD} ; will hold $Q=V2$ independently of G
- Set $G=0$, while Q' & D hold $Q=D$
- After another T_{PD} , $G=0$ and Q' are sufficient to hold $Q=V2$ independently of D

Dynamic Discipline for our latch:

$T_{SETUP} = 2T_{PD}$: interval *prior to G* transition for which D must be stable & valid

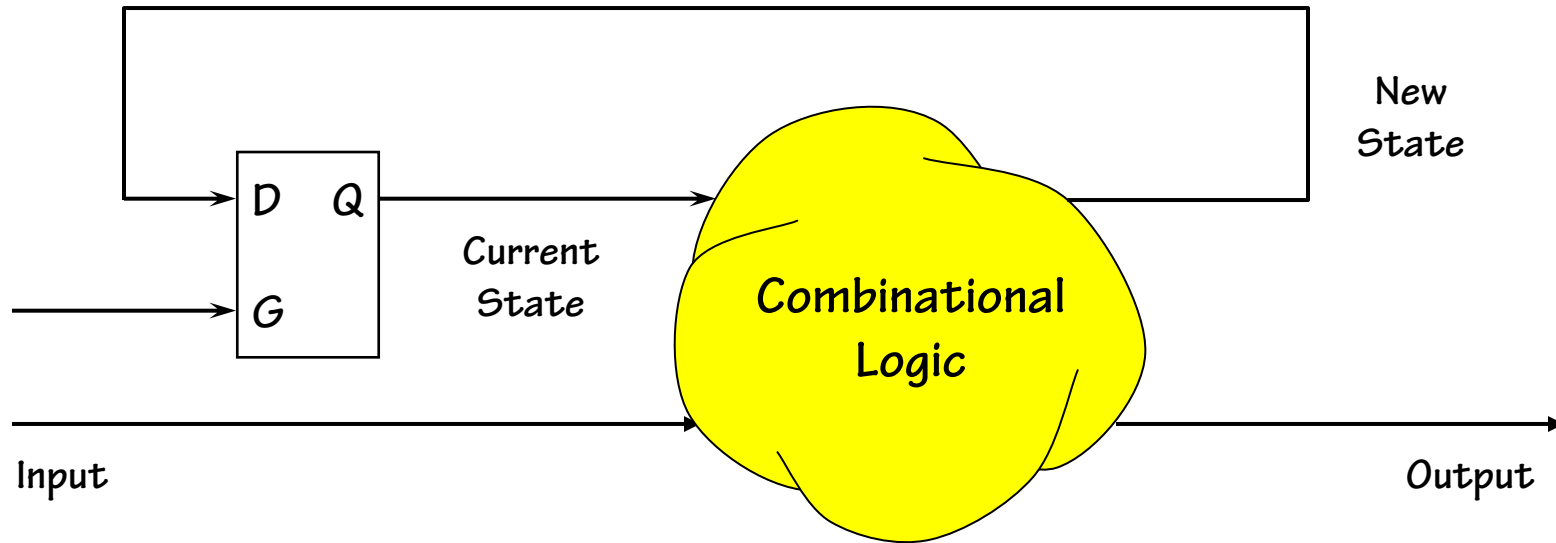
$T_{HOLD} = T_{PD}$: interval *following G* transition for which D must be stable & valid

NOR-based Set-Reset (SR) Flipflop



Flip-flop refers to a bi-stable element

Lets try using the D-Latch...



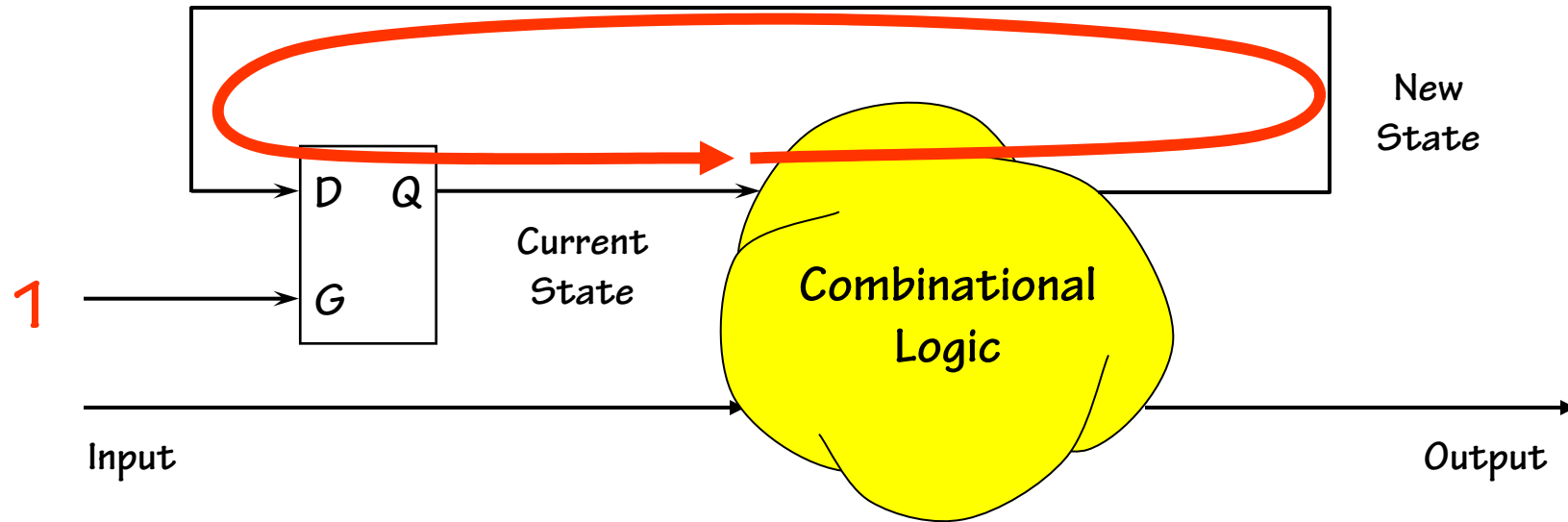
Plan: Build a Sequential Circuit with one bit of STATE –

- Single latch holds CURRENT state
- Combinational Logic computes
 - NEXT state (from input, current state)
 - OUTPUT bit (from input, current state)
- State changes when $G = 1$ (briefly!)

What happens when $G=1$?



Combinational Cycles



When $G=1$, latch is *Transparent*...

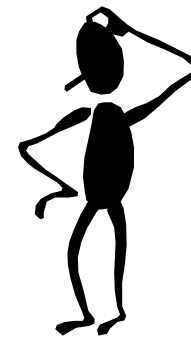
... provides a combinational path from D to Q.

Can't work without tricky timing constraints on $G=1$ pulse:

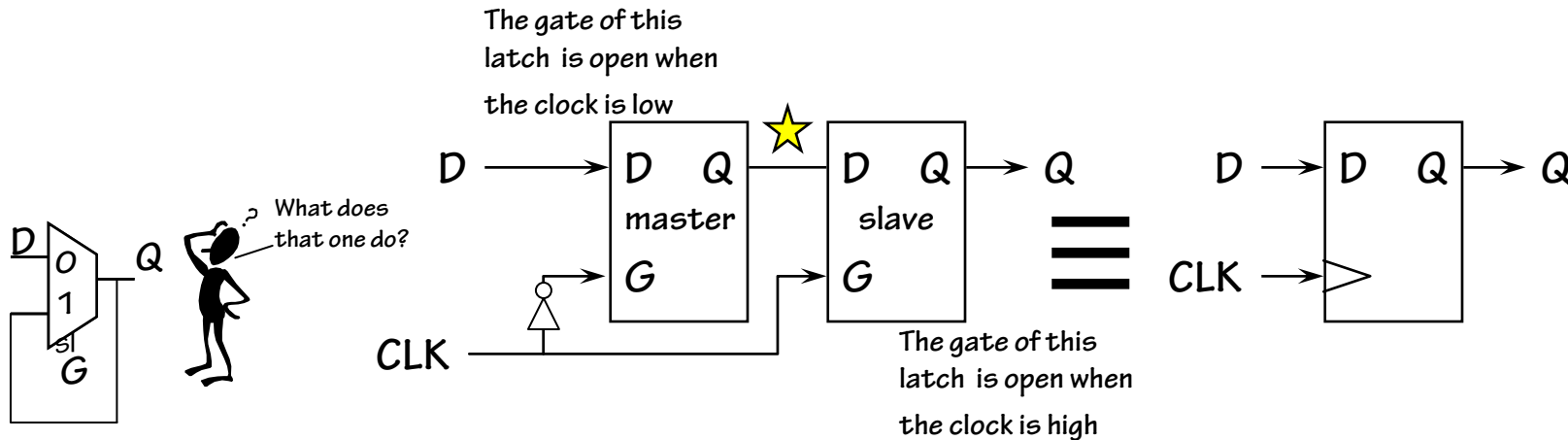
- Must fit within contamination delay of logic
- Must accommodate latch setup, hold times

Want to signal an INSTANT, not an INTERVAL...

Looks like a stupid
Approach to me...



Edge-triggered D-Register

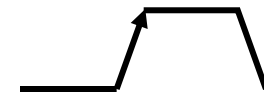


Observations:

- ◆ only one latch “transparent” at any time:
 - ◆ master closed when slave is open
 - ◆ slave closed when master is open
- no combinational path through flip flop

(the feedback path in one of the master or slave latches is always active)

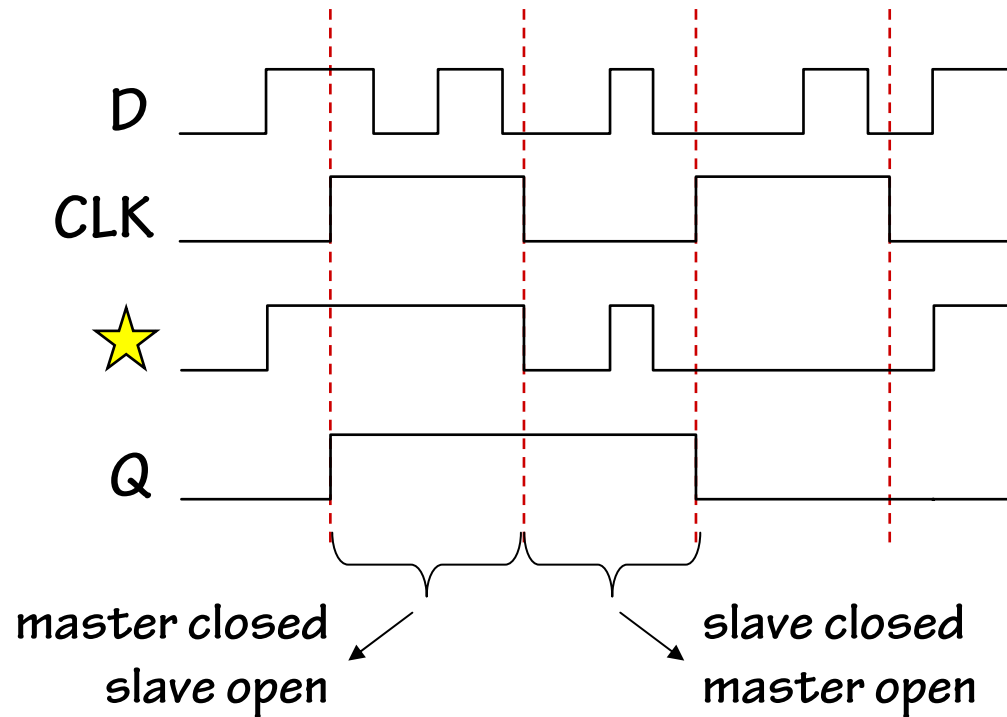
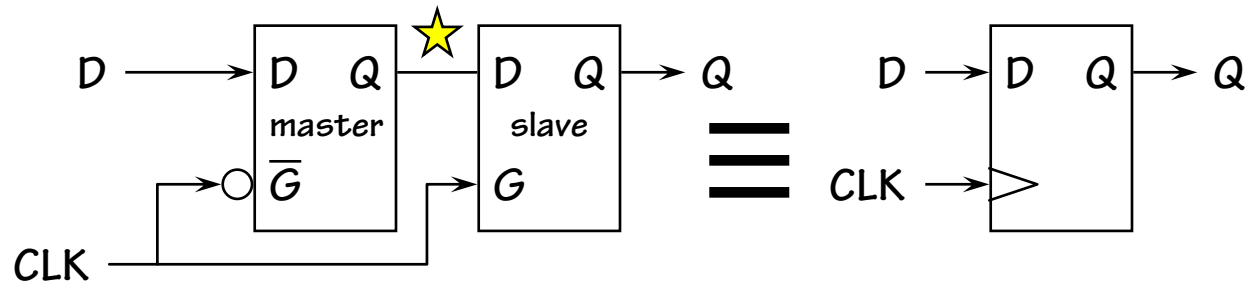
- ◆ Q only changes shortly after 0 → 1 transition of CLK, so flip flop **appears** to be “triggered” by rising edge of CLK



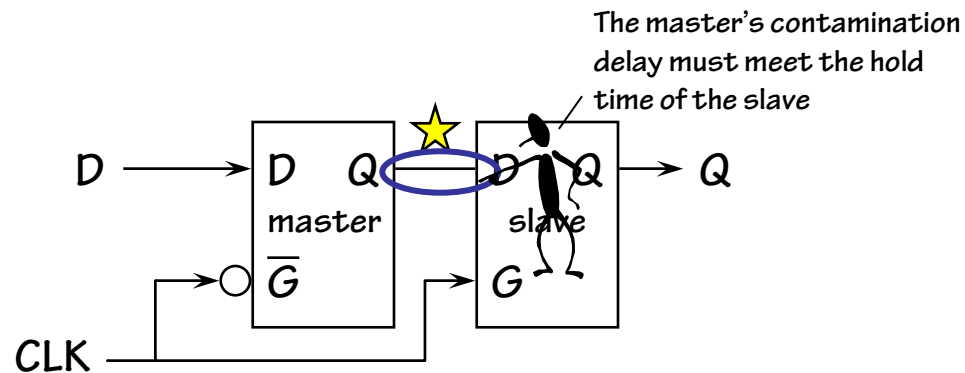
Transitions mark instants, not intervals



D-Register Waveforms



Um, about that hold time...

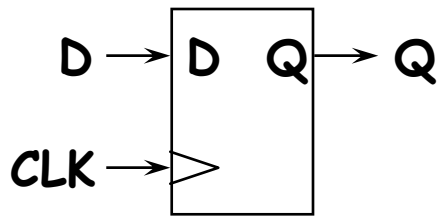


Consider HOLD TIME requirement for slave:

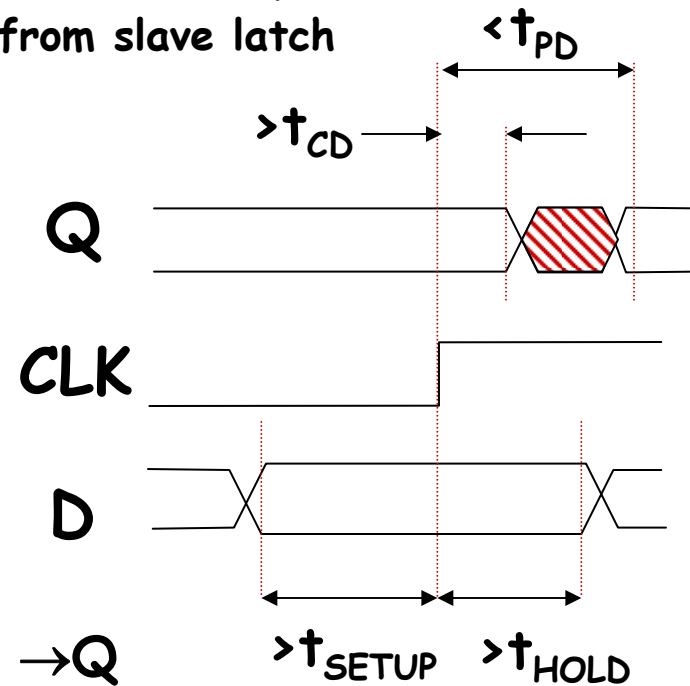
- Negative ($1 \rightarrow 0$) clock transition \rightarrow slave freezes data:
 - SHOULD be no output glitch, since master held constant data; BUT
 - master output contaminated by change in G input!
- HOLD TIME of slave not met, UNLESS we assume sufficient contamination delay in the path to its D input!

Accumulated t_{CD} thru inverter, $G \rightarrow Q$ path of master must cover slave t_{HOLD} for this design to work!

D-Register Timing - I



Values determined from slave latch



t_{PD} : maximum propagation delay, CLK \rightarrow Q

t_{CD} : minimum contamination delay, CLK \rightarrow Q

t_{SETUP} : setup time

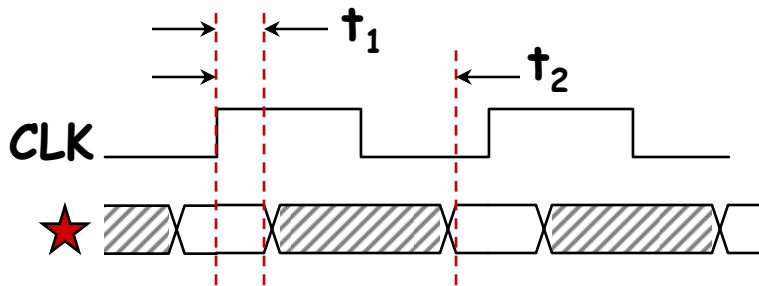
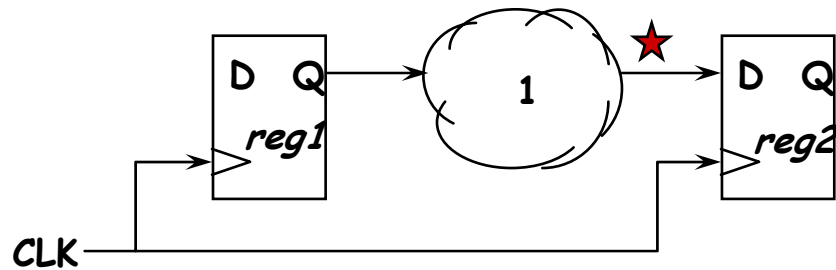
guarantee that D has propagated through feedback path before master closes

t_{HOLD} : hold time

guarantee master is closed and data is stable before allowing D to change

Values determined from master latch

D-Register Timing - II



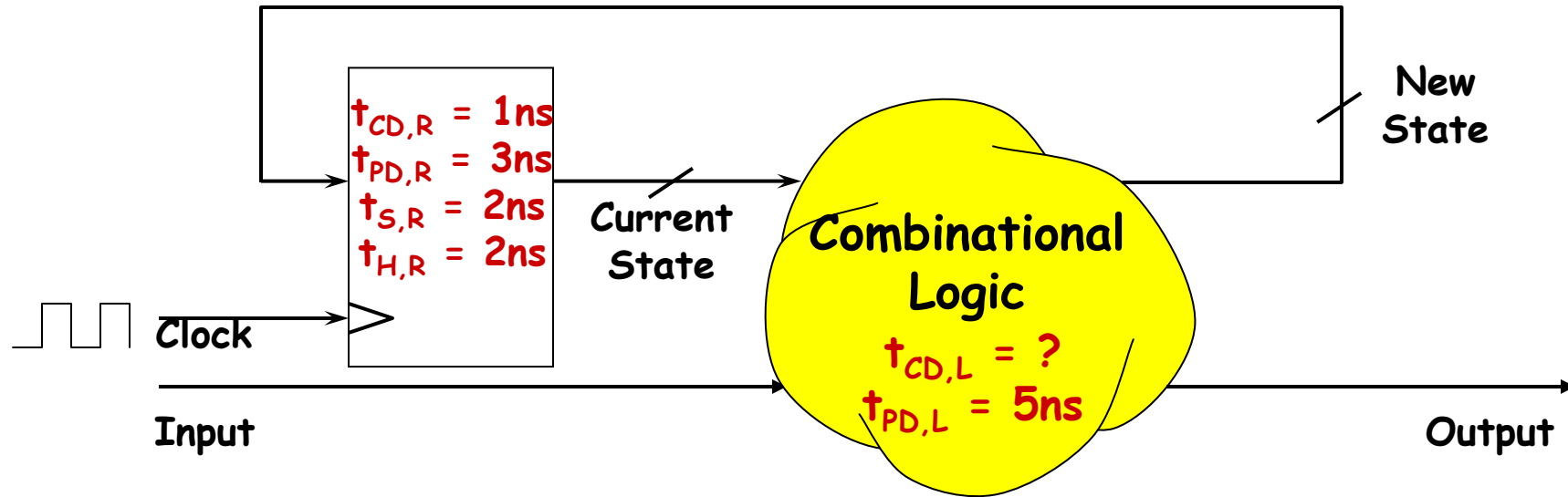
$$t_1 = t_{CD,reg1} + t_{CD,1} > t_{HOLD,reg2}$$

$$t_2 = t_{PD,reg1} + t_{PD,1} < t_{CLK} - t_{SETUP,reg2}$$

Questions for register-based designs:

- how much time for useful work (i.e. for combinational logic delay)?
- does it help to guarantee a minimum t_{CD} ? How about designing registers so that $t_{CD,reg} > t_{HOLD,reg}$?
- what happens if CLK signal doesn't arrive at the two registers at exactly the same time (a phenomenon known as "clock skew")?

Sequential Circuit Timing



Questions:

- Constraints on T_{CD} for the logic? $> 1\text{ ns}$
- Minimum clock period? $> 10\text{ ns } (T_{PD,R} + T_{PD,L} + T_{S,R})$
- Setup, Hold times for Inputs?
 - $T_S = T_{PD,L} + T_{S,R}$
 - $T_H = T_{H,R} - T_{CD,L}$

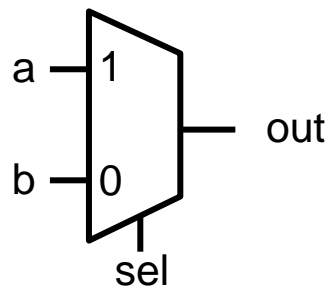
This is a simple *Finite State Machine* ... more on next time!

The Sequential always Block

- Edge-triggered circuits are described using a sequential always block

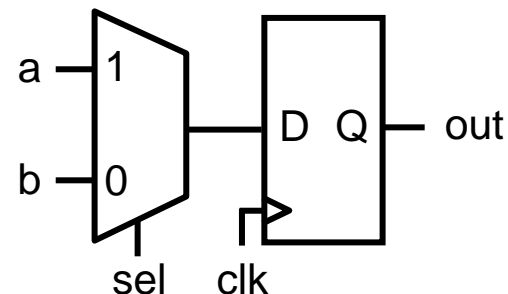
Combinational

```
module combinational(a, b, sel,
                    out);
    input a, b;
    input sel;
    output out;
    reg out;
    always @ (a or b or sel)
    begin
        if (sel) out = a;
        else out = b;
    end
endmodule
```



Sequential

```
module sequential(a, b, sel,
                 clk, out);
    input a, b;
    input sel, clk;
    output out;
    reg out;
    always @ (posedge clk)
    begin
        if (sel) out <= a;
        else out <= b;
    end
endmodule
```



Importance of the Sensitivity List

- The use of `posedge` and `negedge` makes an `always` block sequential (edge-triggered)
- Unlike a combinational `always` block, the sensitivity list **does** determine behavior for synthesis!

*D Flip-flop with **synchronous** clear*

```
module dff_sync_clear(d, clearb,
clock, q);
input d, clearb, clock;
output q;
reg q;
always @ (posedge clock)
begin
    if (!clearb) q <= 1'b0;
    else q <= d;
end
endmodule
```

`always` block entered only at
each positive clock edge

*D Flip-flop with **asynchronous** clear*

```
module dff_async_clear(d, clearb, clock, q);
input d, clearb, clock;
output q;
reg q;
always @ (negedge clearb or posedge clock)
begin
    if (!clearb) q <= 1'b0;
    else q <= d;
end
endmodule
```

`always` block entered immediately
when (active-low) `clearb` is asserted

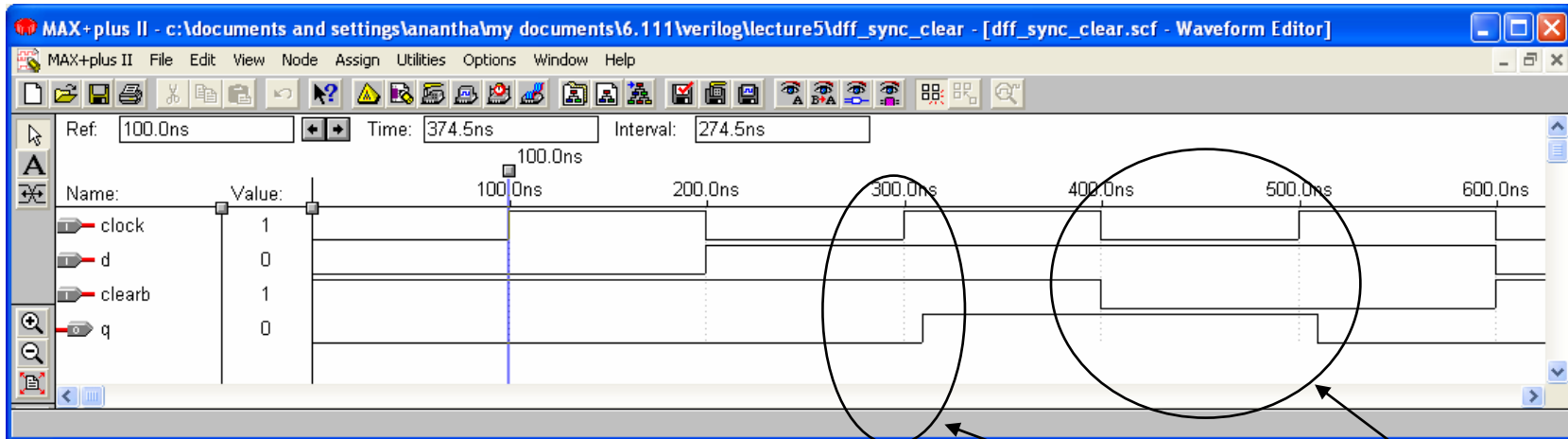
Note: The following is **incorrect** syntax: `always @ (clear or negedge clock)`

If one signal in the sensitivity list uses `posedge`/`negedge`, then all signals must.

- **Assign any signal or variable from only one `always` block, Be wary of race conditions: `always` blocks execute in parallel**

Simulation

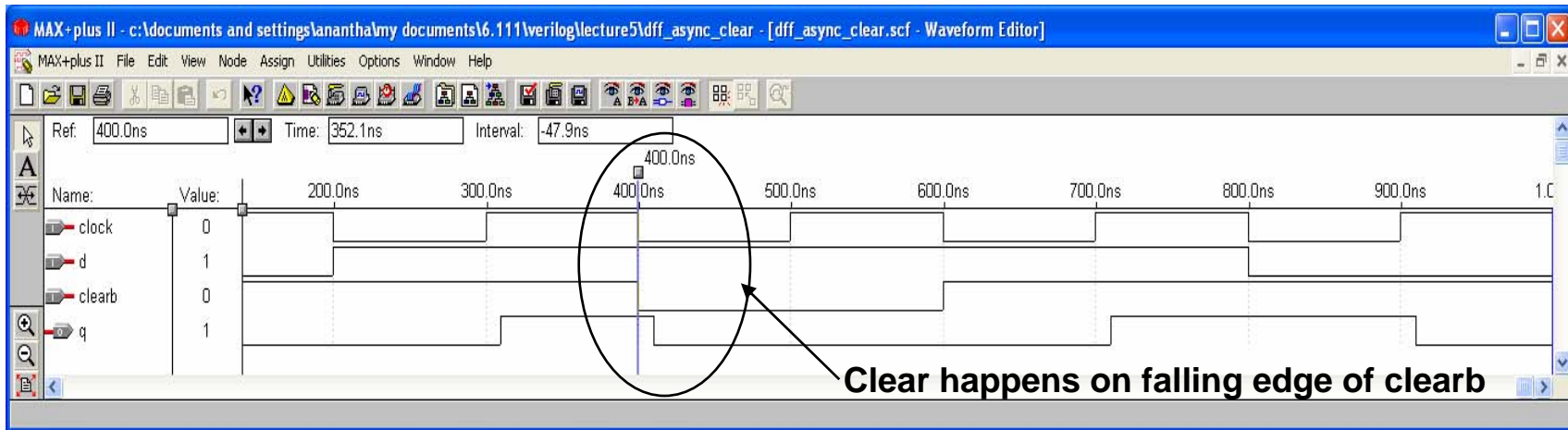
- DFF with Synchronous Clear



t_{c-q}

Clear on Clock Edge

- DFF with Asynchronous Clear



Clear happens on falling edge of clearb

Blocking vs. Nonblocking Assignments

- Verilog supports two types of assignments within `always` blocks, with subtly different behaviors.

- **Blocking assignment:** evaluation and assignment are immediate

```
always @ (a or b or c)
```

```
begin
```

```
x = a | b;           1. Evaluate a | b, assign result to x
```

```
y = a ^ b ^ c;      2. Evaluate a^b^c, assign result to y
```

```
z = b & ~c;         3. Evaluate b&(~c), assign result to z
```

```
end
```

- **Nonblocking assignment:** all assignments deferred until all right-hand sides have been evaluated (end of simulation timestep)

```
always @ (a or b or c)
```

```
begin
```

```
x <= a | b;         1. Evaluate a | b but defer assignment of x
```

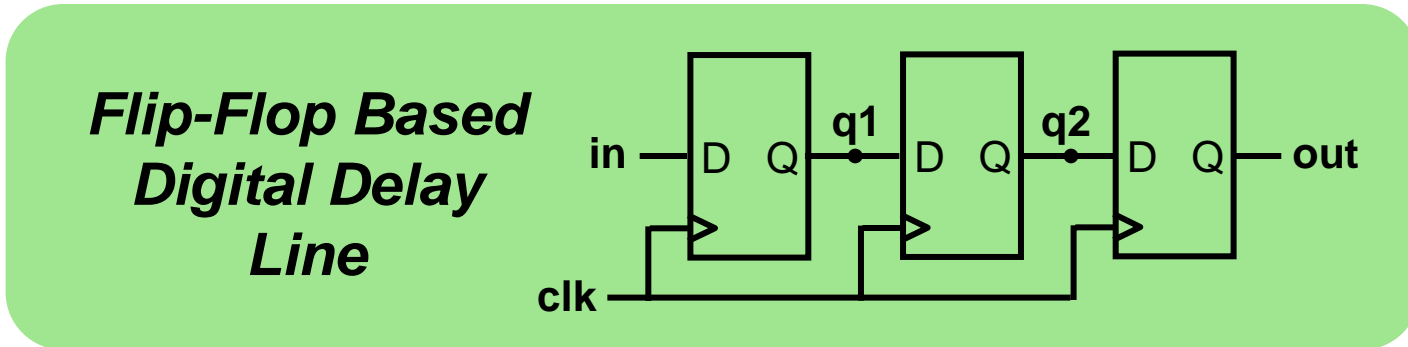
```
y <= a ^ b ^ c;     2. Evaluate a^b^c but defer assignment of y
```

```
z <= b & ~c;        3. Evaluate b&(~c) but defer assignment of z
```

```
end                 4. Assign x, y, and z with their new values
```

- Sometimes, as above, both produce the same result. Sometimes, not!

Assignment Styles for Sequential Logic



- Will nonblocking and blocking assignments both produce the desired result?

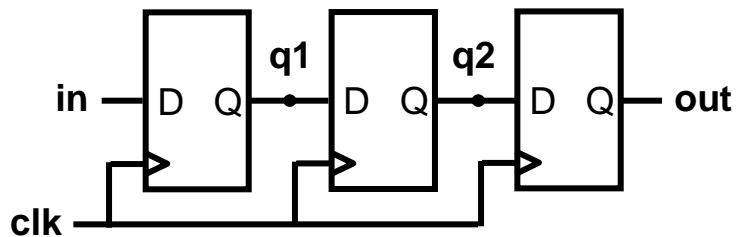
```
module nonblocking(in, clk, out);  
  input in, clk;  
  output out;  
  reg q1, q2, out;  
  always @ (posedge clk)  
  begin  
    q1 <= in;  
    q2 <= q1;  
    out <= q2;  
  end  
endmodule
```

```
module blocking(in, clk, out);  
  input in, clk;  
  output out;  
  reg q1, q2, out;  
  always @ (posedge clk)  
  begin  
    q1 = in;  
    q2 = q1;  
    out = q2;  
  end  
endmodule
```

Use Nonblocking for Sequential Logic

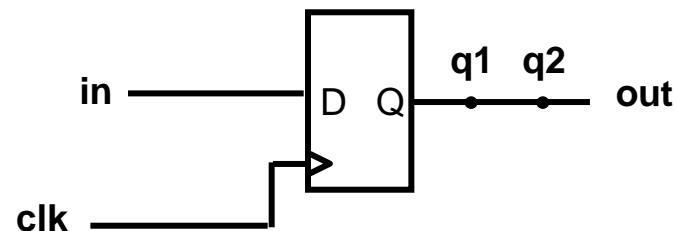
```
always @ (posedge clk)
begin
  q1 <= in;
  q2 <= q1;
  out <= q2;
end
```

“At each rising clock edge, $q1$, $q2$, and out simultaneously receive the old values of in , $q1$, and $q2$.”



```
always @ (posedge clk)
begin
  q1 = in;
  q2 = q1;
  out = q2;
end
```

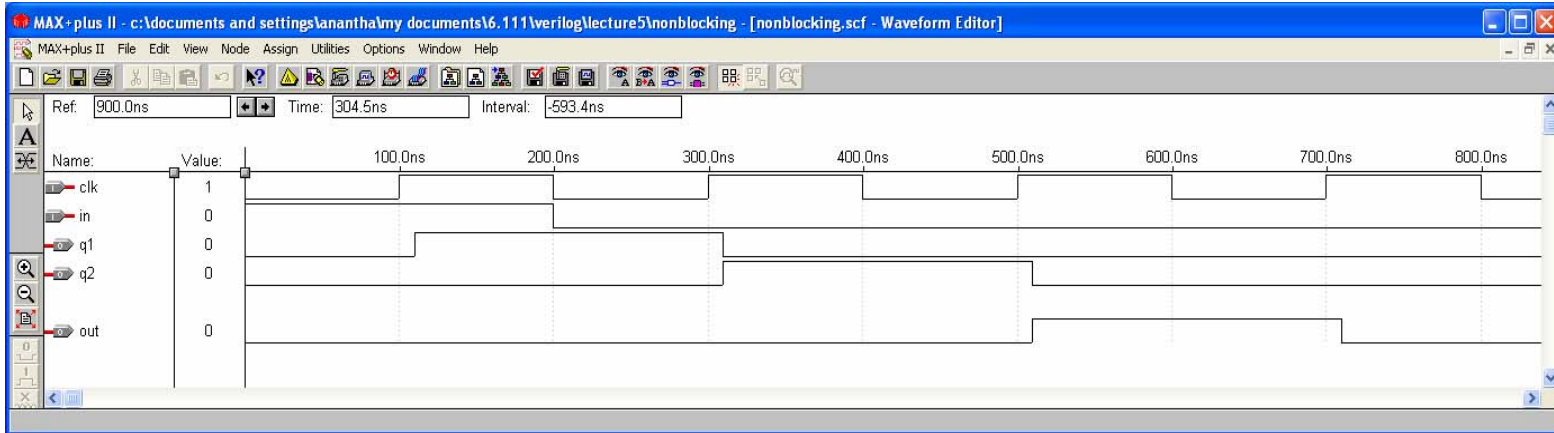
“At each rising clock edge, $q1 = in$.
After that, $q2 = q1 = in$.
After that, $out = q2 = q1 = in$.
Therefore $out = in$.”



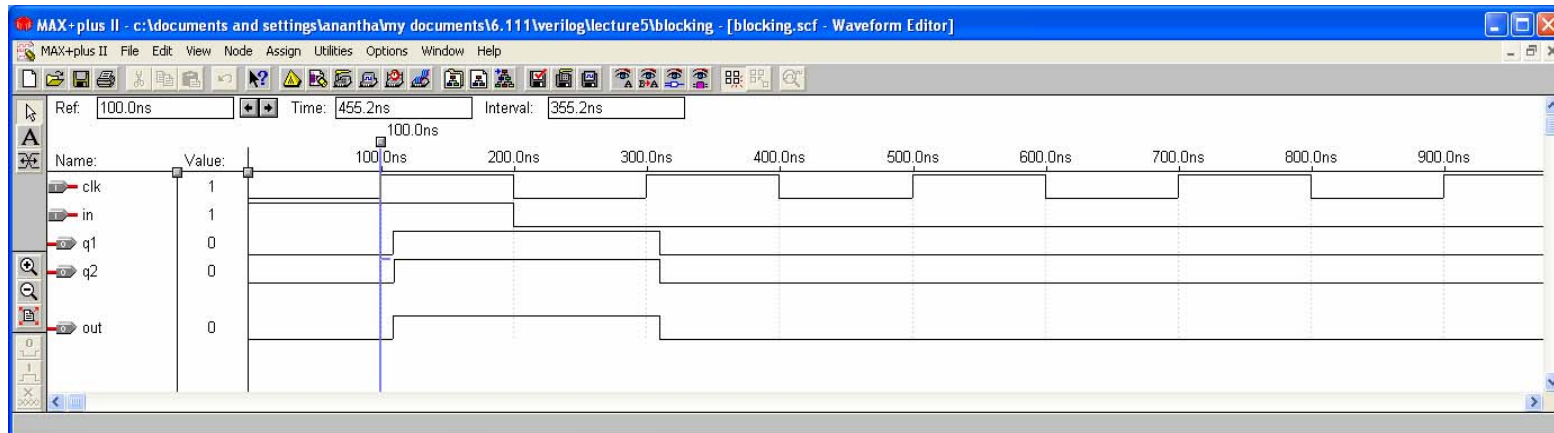
- Blocking assignments do not reflect the intrinsic behavior of multi-stage sequential logic
- **Guideline: use nonblocking assignments for sequential always blocks**

Simulation

■ Non-blocking Simulation



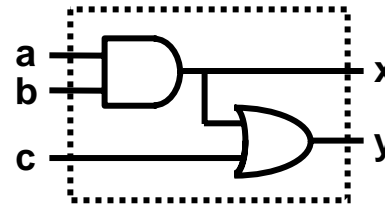
■ Blocking Simulation



Use Blocking for Combinational Logic

Blocking Behavior

	a	b	c	x	y
(Given) Initial Condition	1	1	0	1	1
a changes; always block triggered	0	1	0	1	1
x = a & b;	0	1	0	0	1
y = x c;	0	1	0	0	0



```

module blocking(a,b,c,x,y);
  input a,b,c;
  output x,y;
  reg x,y;

  always @ (a or b or c)
  begin
    x = a & b;
    y = x | c;
  end
endmodule

```

Nonblocking Behavior

	a	b	c	x	y	Deferred
(Given) Initial Condition	1	1	0	1	1	
a changes; always block triggered	0	1	0	1	1	
x <= a & b;	0	1	0	1	1	x<=0
y <= x c;	0	1	0	1	1	x<=0, y<=1
Assignment completion	0	1	0	0	1	

```

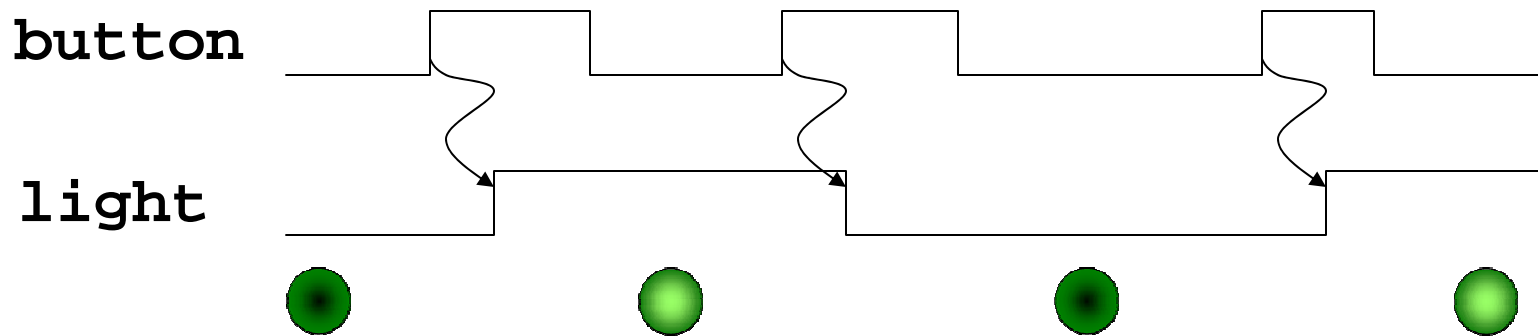
module nonblocking(a,b,c,x,y);
  input a,b,c;
  output x,y;
  reg x,y;

  always @ (a or b or c)
  begin
    x <= a & b;
    y <= x | c;
  end
endmodule

```

- Nonblocking and blocking assignments will synthesize correctly. Will both styles simulate correctly?
- Nonblocking assignments do not reflect the intrinsic behavior of multi-stage combinational logic
- While nonblocking assignments can be hacked to simulate correctly (expand the sensitivity list), it's not elegant
- **Guideline: use blocking assignments for combinational always blocks**

Implementation for on/off button



```
module onoff(button,light);  
  input button;  
  output light;  
  reg light;  
  always @ (posedge button)  
  begin  
    light <= ~light;  
  end  
endmodule
```

